Calculus II, Section D<br>Quiz \# 9<br>October 28, 2009

First Name :
Last Name :

1. Let $A=\left[\begin{array}{lll}1 & 2 & 4 \\ 2 & 5 & 1 \\ 1 & 1 & 1\end{array}\right]$. Find a lower triangular matrix $L$ annd a rowreduced matrix $U$ such that $A=L U$
(Hint : beware that the record matrix is related to but nor equal to L!!)
(Give the result here, compute on the back pages)
$L=$
$U=$
2. Let $A=\left[\begin{array}{llll}1 & 1 & 2 & 1 \\ 2 & 1 & 3 & 2 \\ 1 & 0 & 1 & 1 \\ 3 & 2 & 5 & 3\end{array}\right]$.
(a) Find an equation for $\operatorname{Im}(A)$
(Hint : find matrix $C$ such that $A \mathbf{x}=\mathbf{b}$ has a solution if and only if $C \mathbf{b}=0$ )
(Give the result here, compute on the back pages)

$$
\operatorname{Im}(A)=
$$

(b) Give a one-to-one parametrization of $\operatorname{Im}(A)$
(Give the result here, compute on the back pages)
3. Let $A=\left[\begin{array}{lll}1 & 1 & 1 \\ 1 & 2 & 2 \\ 1 & 2 & 3\end{array}\right]$. Find a lower triangular matrix $L$ such that $A=L L^{t}$
(Hint : use the Cholesky method) (Give the result here, compute on the back pages)

$$
L=
$$

Use this page for your calculations

